

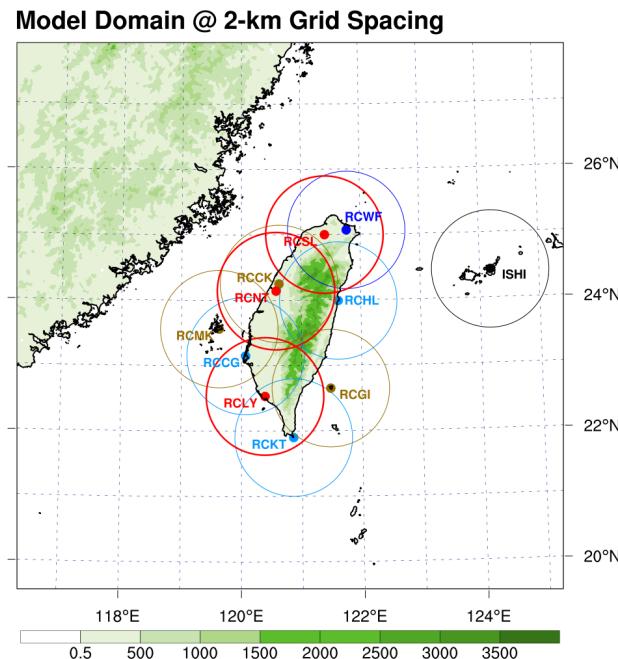
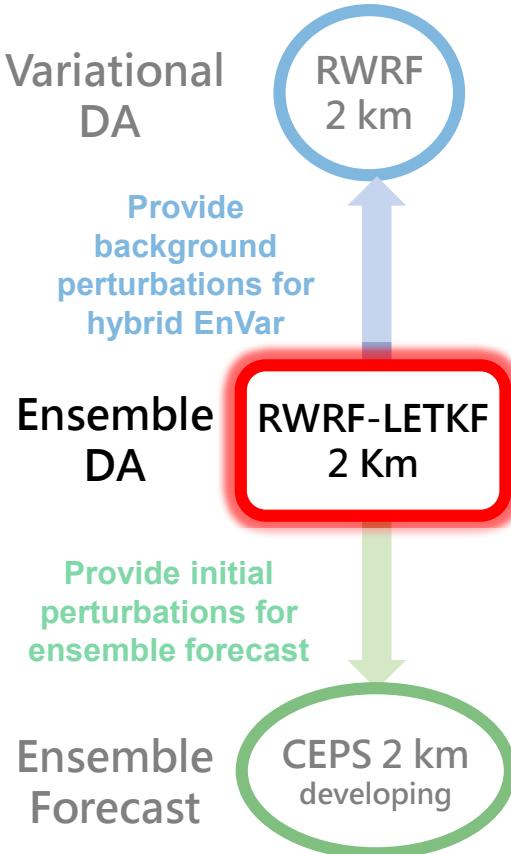
中央氣象署 LETKF對流尺度短期預報系統現況

CWA LETKF Convective-scale Short-range Forecasting System:
Current Status

江琇瑛 連國淵 蔡金成

蔡雅婷 沈彥志

CWA RWRF-LETKF systems (1)



Model configuration:

- 2 km model spacing
- Physics:
 - ✓ NOAH land surface model, YSU PBL scheme, RRTMG longwave and shortwave radiation parameterization scheme
 - ✓ GCE → **TCWA1 single-moment microphysics scheme**
- (陳正平教授, 蔡子衿博士)
- **Assimilating surface observations, radar radial velocity, reflectivity, and KDP**

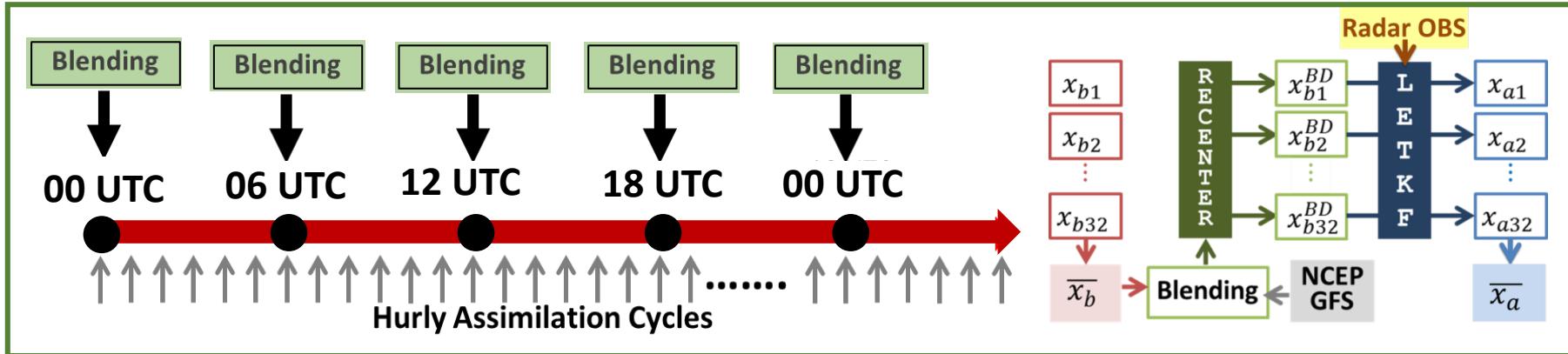
S-band:

- ✓ RCWF, RCHL, RCCG, RCKT (CWA)
- ✓ ISHI (Japan)

C-band:

- ✓ RCSL, RCNT, RCLY (CWA)
- ✓ RCCK, RCMK, RCGI (Air Force)

CWA RWRF-LETKF systems (2)



- Hourly update strategy
- 6-hourly blending with the GFS downscaling
(Jiang et al. 2021)
- Increase the ensemble members from 32 to 40.
- Providing 13 hours deterministic forecast hourly from ensemble analysis mean
 - ✓ In the future, the initial field will be derived from a deterministic analysis.

Roadmap of RWRF-LETKF DA

Start development
of the LETKF system
(與蔡直謙博士合作)

Conduct testing
for operational
deployment

Transition to
operational status

late
2015

2017

2018

2019

2020

- Developing radar pre-processing. (Tsai et al. 2019)
- Tuning control parameters.
- Deciding on the blending scheme. (Jiang et al. 2021)

- Incorporate the capability to assimilate surface observations into the LETKF program.
- Research and develop the **dual-pol radar observation operator**.

**NEW version of
LETKF code module**

**Update to the
operational system**

2021

2022

2023

2024

- Investigate and tune **RTPS** and **additive noise inflation methods**. (Tsai et al., in preparation)
- Incorporating the capability to assimilate KDP into the LETKF program.

**Update to the operational system
(Upgrade WRF to version 4.4.2 + TCWA1)**

Increase the ensemble mems from 32 to 40

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Covariance inflation schemes considered for radar assimilation

(Tsai et al., in preparation)

Relaxation to prior ensemble

Relaxation to prior spread (RTPS)
(Whitaker and Hamill 2012):

$$\mathbf{X}^a \leftarrow \mathbf{X}^a \left(\alpha \frac{\sigma^f - \sigma^a}{\sigma^a} + 1 \right)$$

$$\sigma^{f,a} \equiv \sqrt{\frac{1}{K-1} \sum_{k=1}^K (\mathbf{x}_{(k)}^{f,a})^2}$$

for each analysis grid

Random additive noise (RAN)

(Dowell and Wicker 2009, Caya et al. 2005)

$$f_i^* = f_i + \sum_{j=1}^N (r_j \sigma) e^{\frac{-d_{i-j}}{L}}$$

Where obs dBZ > 25
(Wheatley et al. 2015; Yussouf et al. 2016)

L: Prescribed length scale (km)

d_{i-j} : distance between the ith and jth points (km)

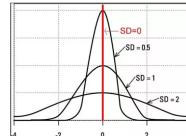
f_i : value of original field at the ith point

f_i^* : value of the perturbed (inflated) field at the ith point

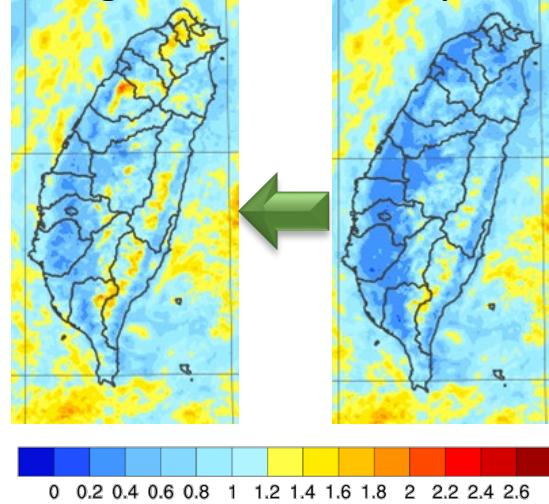
N : Number of points within the neighborhood of the ith point

r_j : Random number at the jth point

σ : Prescribed standard deviation controlling shape of the Gaussian from which random numbers are drawn



background analysis



shading:
spread

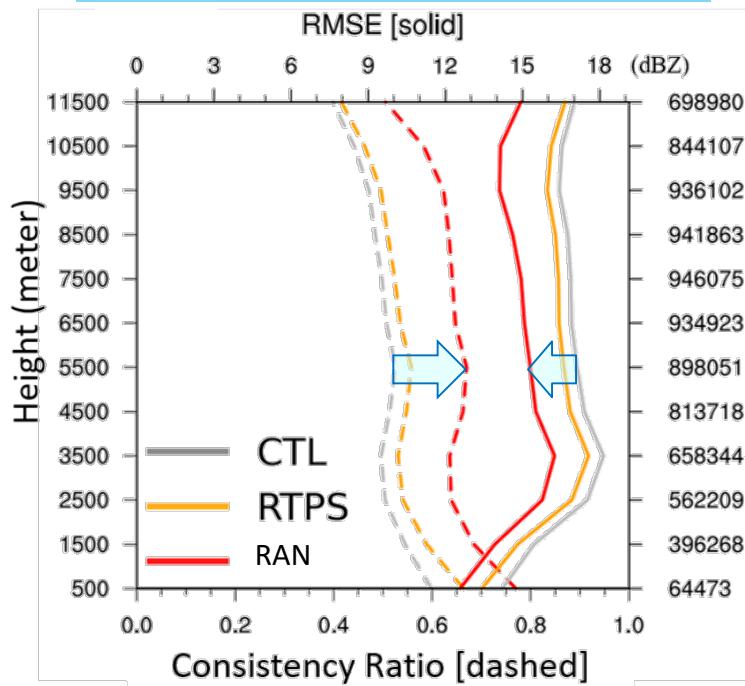
以回波值大於25 dBZ為基準：

- 該區可能存在劇烈天氣。
- 對模式而言，應具有較高的預報不確定性。
- 對系集預報，應具有較高的系集離散度。
- 故在初始場中，對溫度、水氣場施加隨機擾動，提升離散度，從而反應預報的不確定性。

Covariance inflation schemes considered for radar assimilation

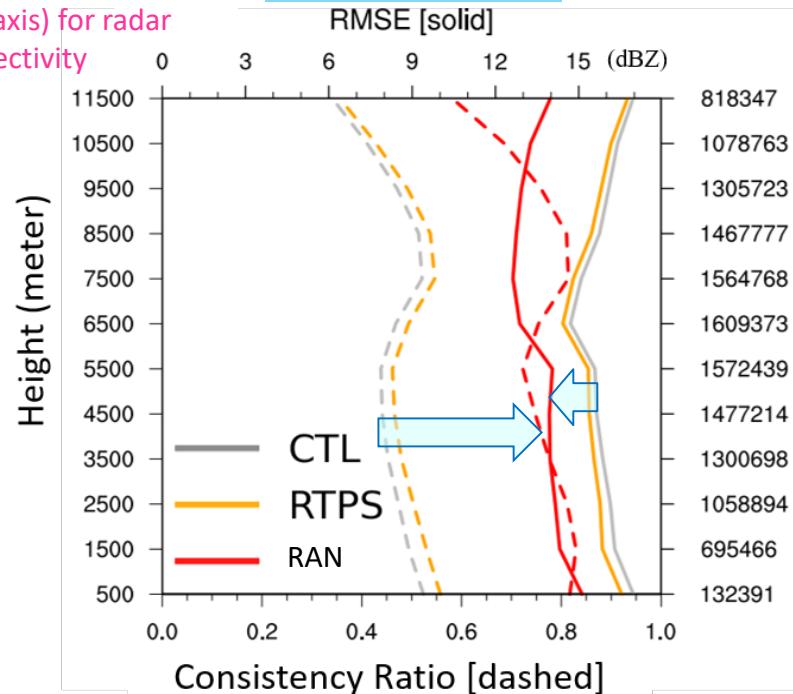
(Tsai et al., in preparation)

Afternoon thunderstorm case



Prior ensemble mean RMSE
(solid; top x-axis) and
consistency ratio (dashed;
bottom x-axis) for radar
reflectivity

Mei-yu case



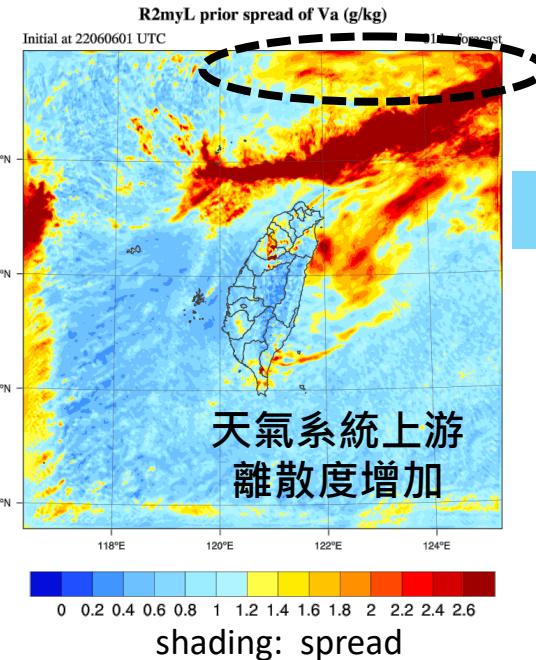
Improved forecasting capabilities

Increased ensemble forecast dispersion

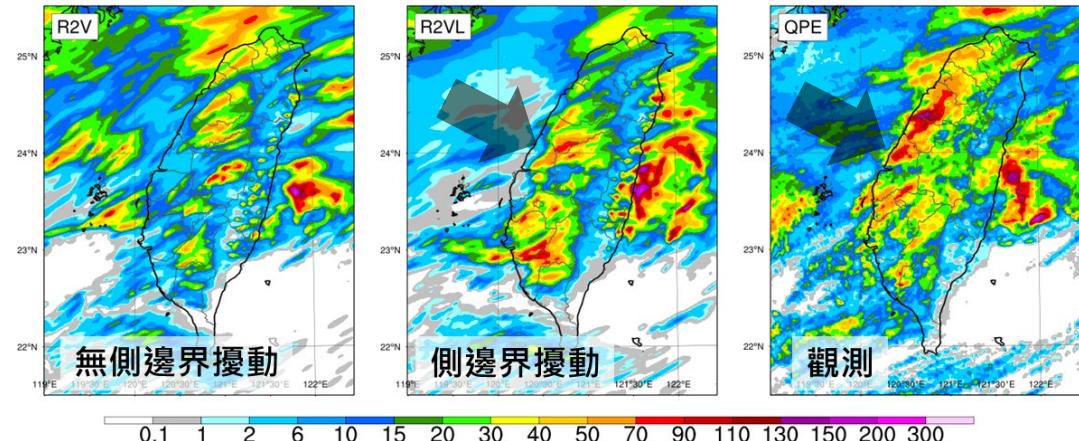
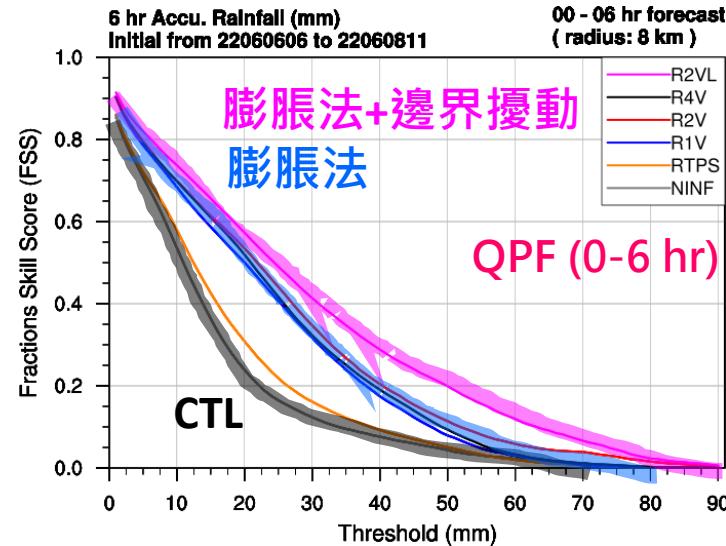
Perturbation of boundary condition (from WEPS)

可參考102年天分之

A2-24_評估側邊界擾動在對流尺度系集資料同化系統之影響

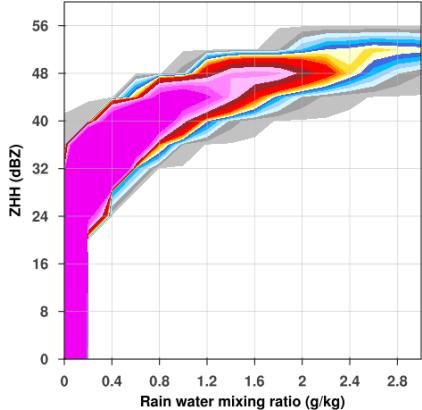


進一步提升邊界的系集離散度

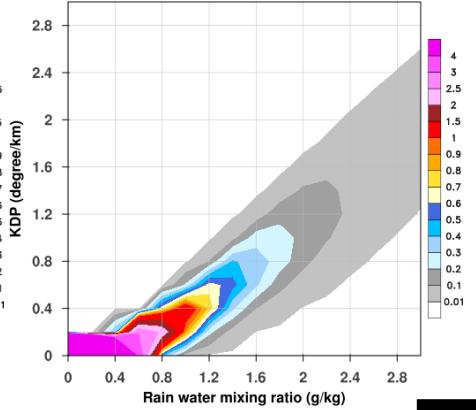


KDP assimilation in LETKF (with TCWA1 single-moment microphysics scheme)

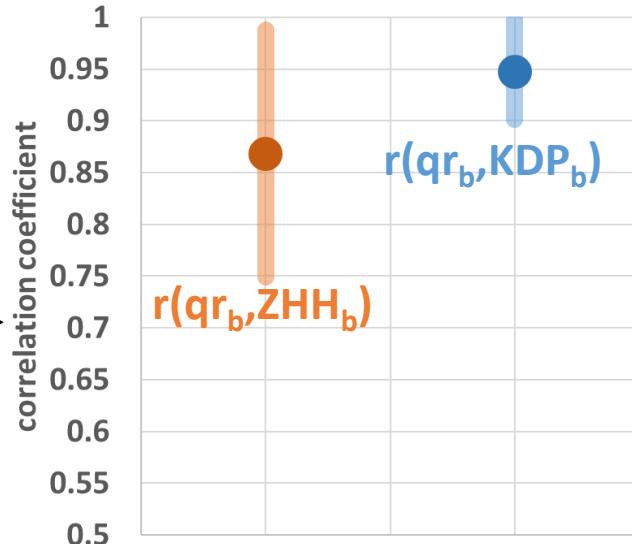
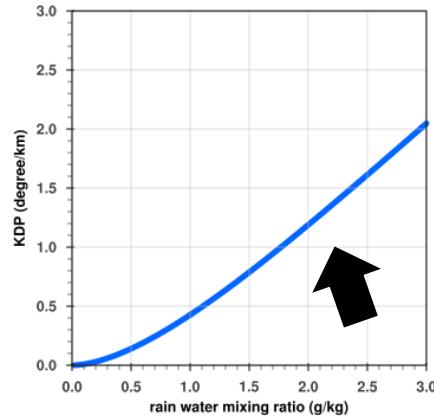
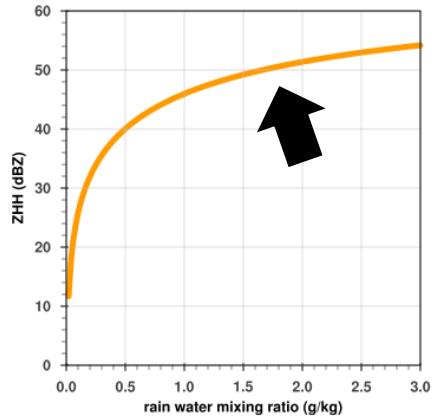
ZHH (dBZ)隨qr的變化



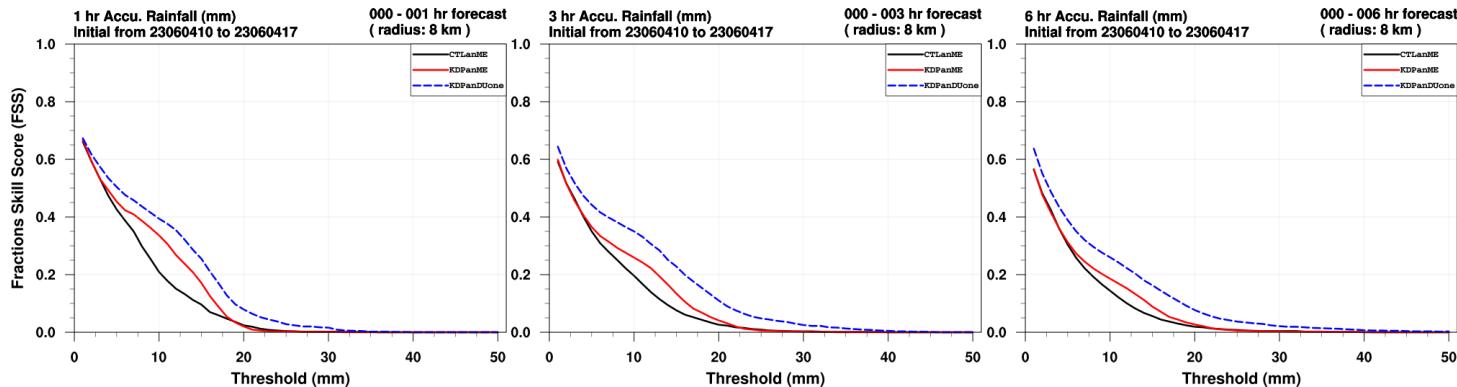
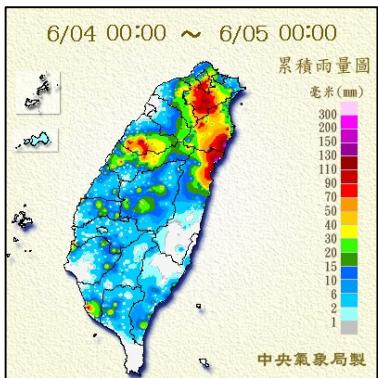
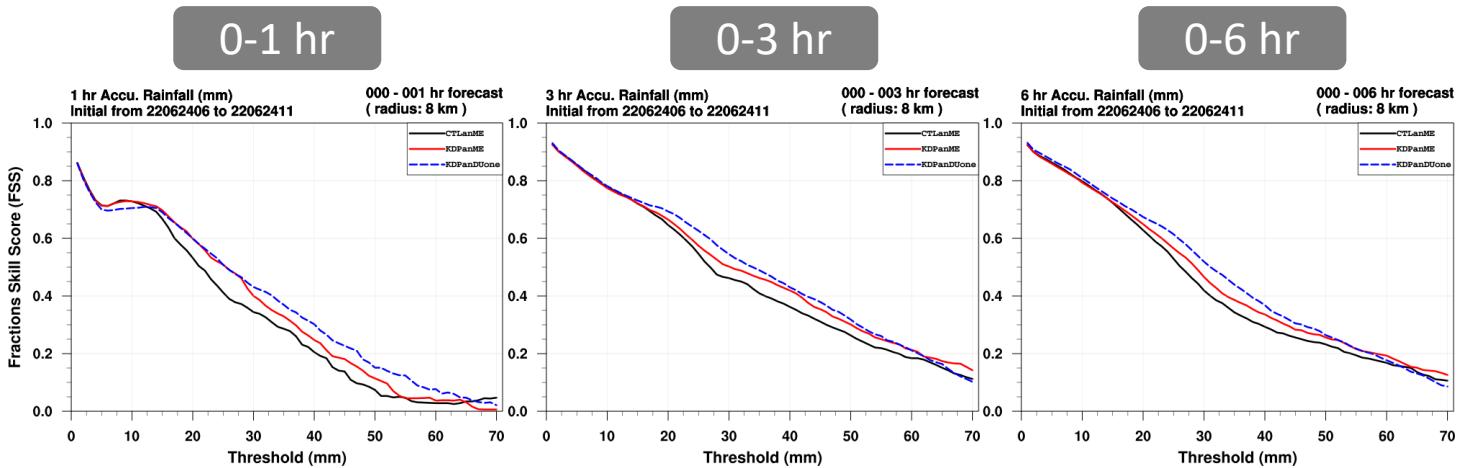
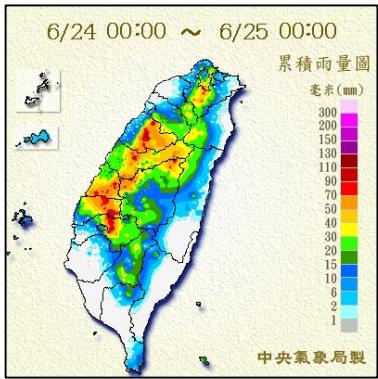
KDP隨qr的變化



KDP variable is more closely related to qr than to ZHH.



— CTL — KDP — KDP + deterministic analysis
(Schraff et al. 2016)



Deterministic analysis in LETKF

Methodology: Schraff et al. (2016)

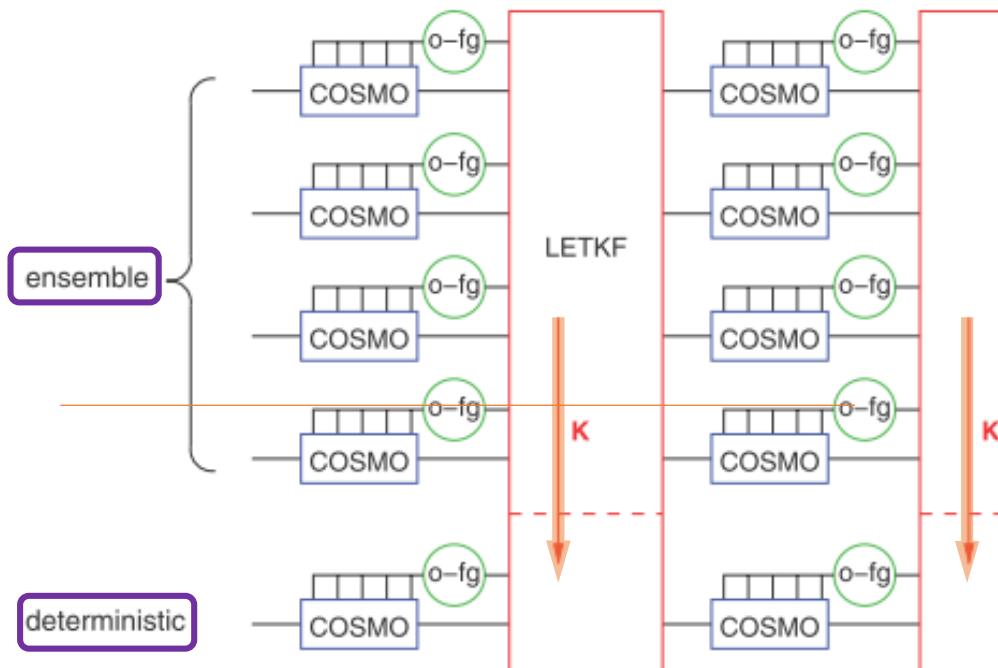


Figure 2. KENDA-LETKF system set-up; 'o-fg' denotes observation minus first guess, 'K' the Kalman gain for the analysis mean.

取代系集平均分析場
進行決定性預報

Let the deterministic analysis
utilize the
flow-dependent ensemble
background covariances
derived from the Kalman gain.

Deterministic analysis in LETKF

Motivation:

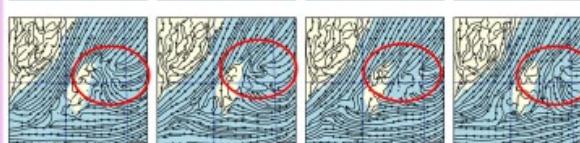
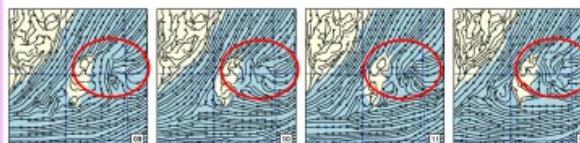
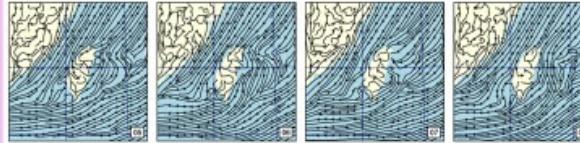
Avoid over-smoothing in the ensemble mean that may obscure high-frequency or small-scale variations.

Ensemble mean tends to smooth out the variations in the individual members, especially for the small scale system.

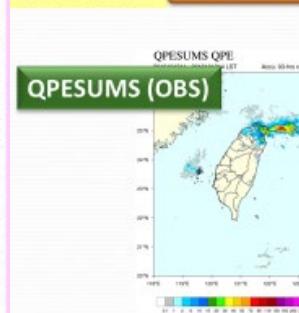
Initial (w/ DFI)



10-m Streamline (m/s) Forecast 00-hr
Initial at 1100 LST 12 Oct 2016 Ensemble Forecast (CEPS)



Acc. Rainfall 0 – 3 hr



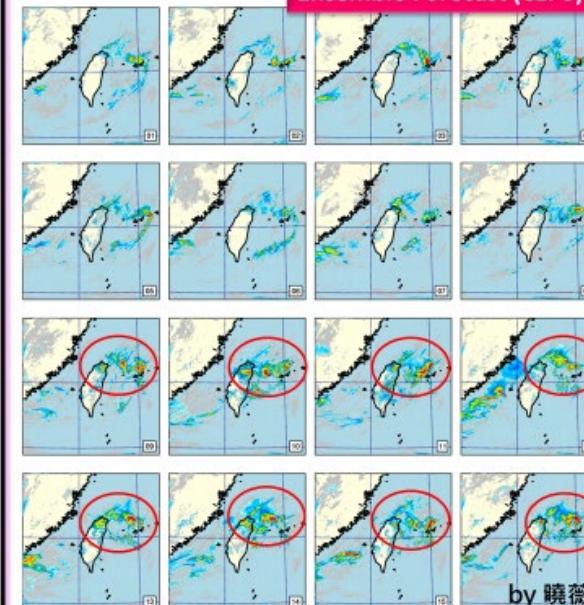
Mean Forecast



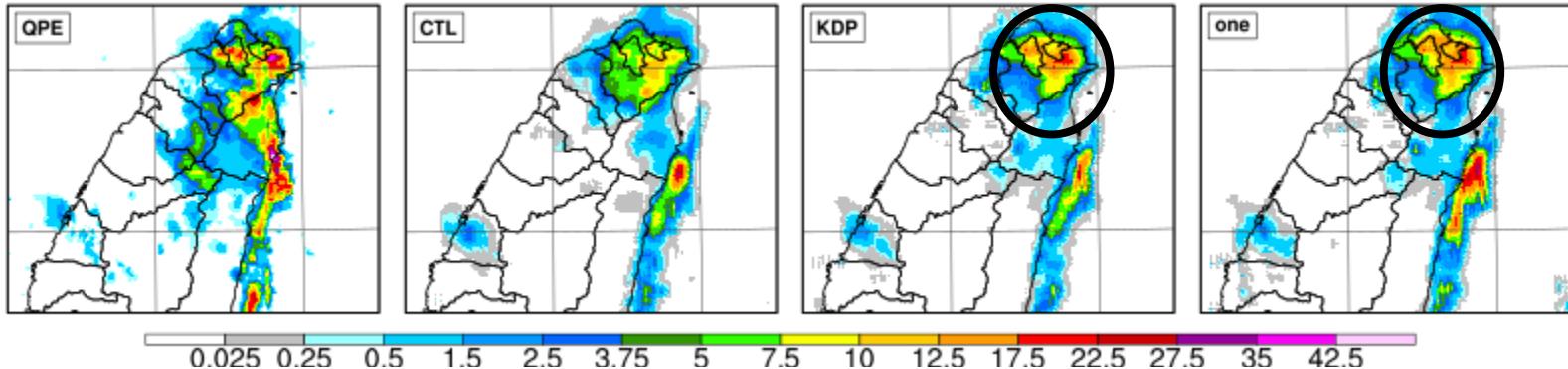
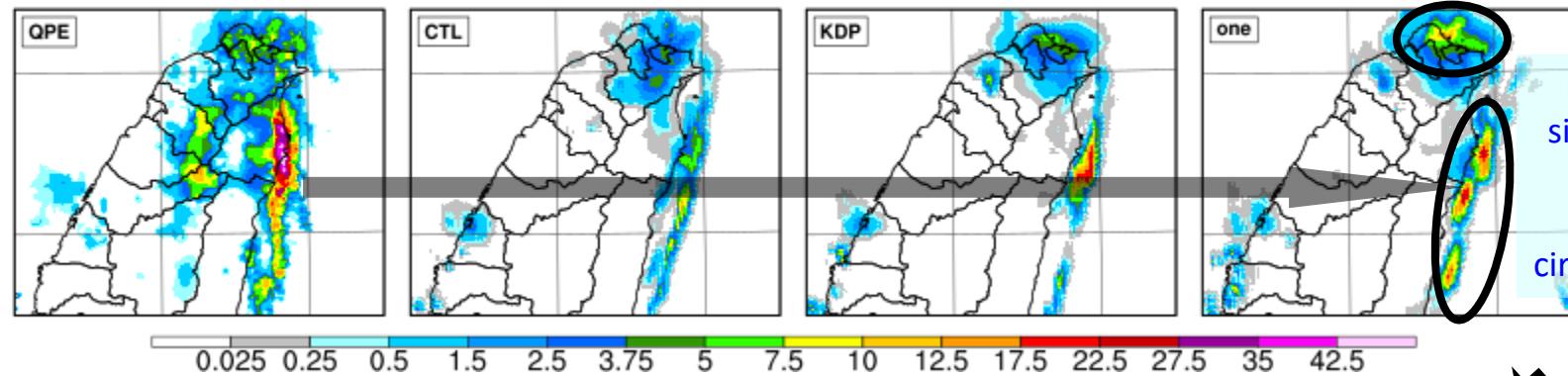
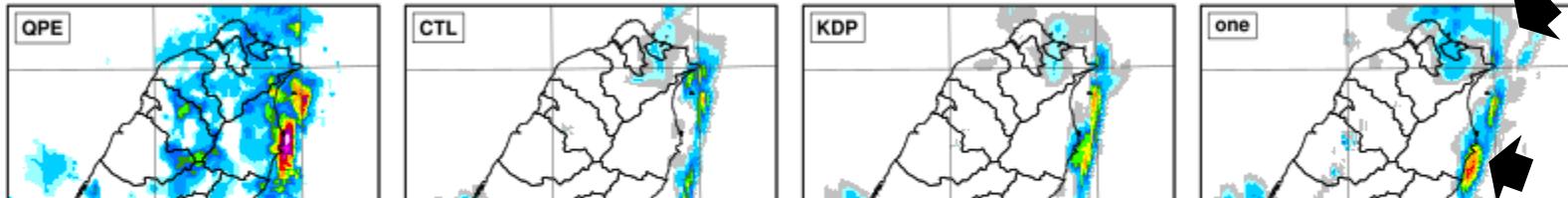
Underestimated the QPF

03-HR Accu. Rainfall(mm)
Initial at 1100 LST 12 Oct 2016 @

Ensemble Forecast (CEPS)



by 翡微

OBS**CTL****KDP****KDP + deterministic analysis****0-1 hr****1-2 hr****2-3 hr**

未來研發方向規劃

增加同化水氣觀測資訊

- ZTD
- AHI 水氣頻道

增加同化金門/馬祖雷達觀測

發展X-band / Ka-band 雙偏極化雷達觀測算符

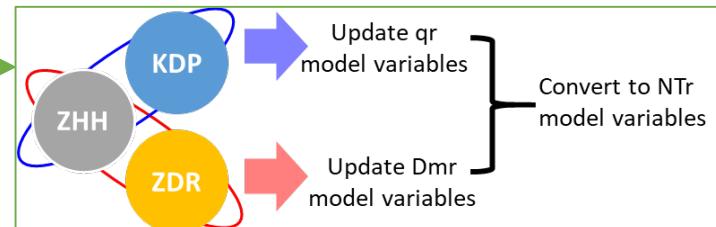
(Jiang et al., in preparation)

增進模式雲微物理預報

- 發展TCWA2 two-moment microphysics scheme
- 新增同化ZDR與KDP雙偏極化雷達觀測



分開更新模式變數的策略方案

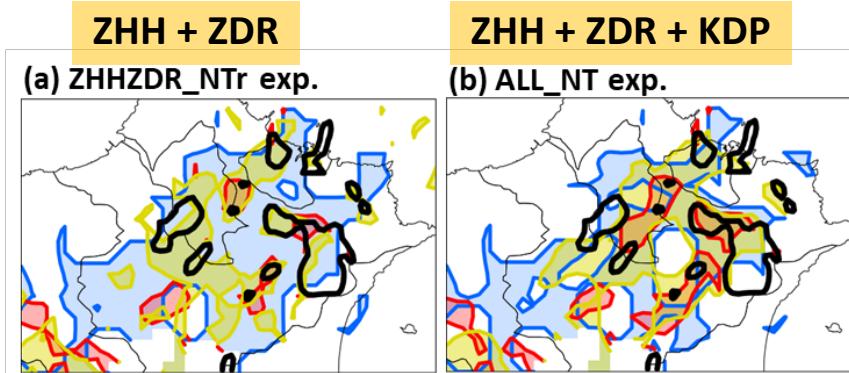


Dual-polarimetric radar assimilation in LETKF

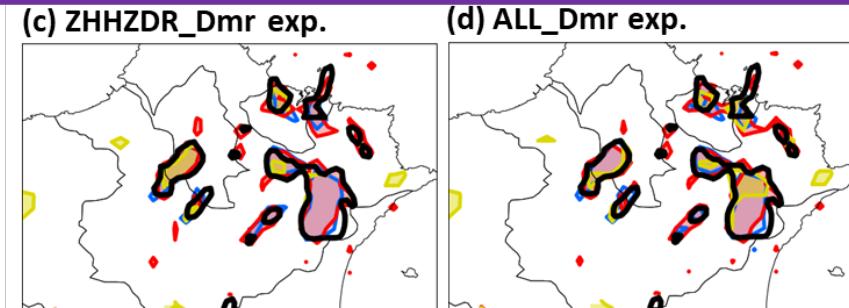
Analysis variable selection & sensitivity to microphysics schemes
 (Jiang et al., in preparation)

Analysis variables:

qr, NTr



qr, Dmr



Contour: ZDR ≥ 1.8 dB

OBS

NSSL

WDM6

MORR

- When multiple dual-polarimetric radar observables are simultaneously assimilated and with two-moment microphysics schemes, {Dmr} are better analysis variables than {NTr}.
- The use of {Dmr} analysis variables can yield less sensitivity of the ZDR assimilation to different two-moment microphysics schemes.

Dual-polarimetric radar assimilation in LETKF

Analysis variable selection & sensitivity to microphysics schemes
(Jiang et al., in preparation)

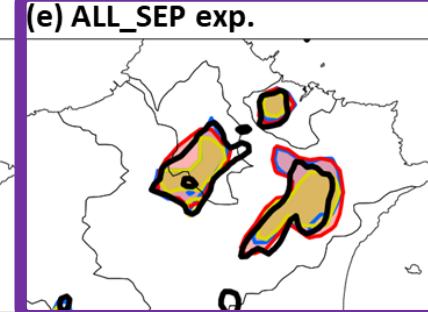
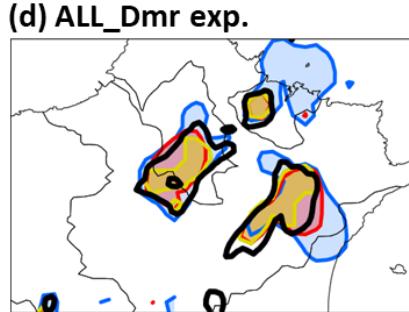
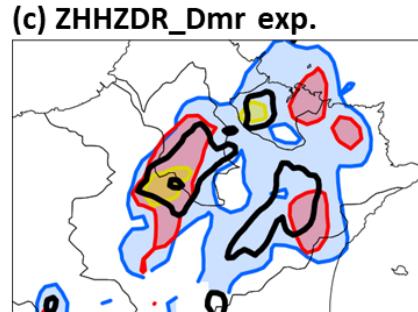
As long as ZDR observations are assimilated,
 the results of the rainwater analysis
 are sensitive to the two-moment microphysics
 scheme.

**Analysis
variables:**
qr, Dmr

ZHH + ZDR

ZHH + ZDR + KDP

ZHH + KDP → qr
 ZHH + ZDR → Dmr



Contour: KDP ≥ 1.0 °/km OBS NSSL WDM6 MORR

**Separately updating
model variables**
 can less sensitivity of
 the rainwater analysis
 to different two-
 moment microphysics
 schemes.

Thank you for your attention